



ECC Algorithm ***(Error Checking & Correction)***

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ECC Code Generation

- ◆ ECC code consists of 3bytes per 256bytes
 - Actually 22bit ECC code per 2048bits
 - 22bit ECC code = 16bit line parity + 6bit column parity
- ◆ Data bit assignment table with ECC code

I/O 7	I/O 6		I/O 1	I/O 0	
D(00000000,111)	D(00000000,110)		D(00000000,001)	D(00000000,000)	1st Byte
D(00000001,111)	D(00000001,110)		D(00000001,001)	D(00000001,000)	2nd Byte
D(00000010,111)	D(00000010,110)	• • • •	D(00000010,001)	D(00000010,000)	2rd Byte
D(11111110,111)	D(11111110,110)		D(11111110,001)	D(11111110,000)	255th Byte
D(11111111,111)	D(11111111,110)		D(11111111,001)	D(11111111,000)	256th Byte

◆ ECC code assignment table

I/O 7	I/O 6	I/O 5	I/O 4	I/O 3	I/O 2	I/O 1	I/O 0
P64	P64`	P32	P32`	P16	P16`	P8	P8`
P1024	P1024`	P512	P512`	P256	P256`	P128	P128`
P4	P4`	P2	P2`	P1	P1`	1	1

P8 ~ P1024 : Line parity
P1 ~ P4 : Column parity

Fail bit address offset

=> (P1024,P512,P256,P128,P64,P32,P16,P8, P4,P2,P1)

ECC Code Generation Simple Example

◆ Parity Generation (In case of 8bit input)



$$\begin{aligned}
 P4 &= D7(+)D6(+)D5(+)D4 & P4' &= D3(+)D2(+)D1(+)D0 & * (+) \text{ means XOR (Even parity)} \\
 P2 &= D7(+)D6(+)D3(+)D2 & P2' &= D5(+)D4(+)D1(+)D0 \\
 P1 &= D7(+)D5(+)D3(+)D1 & P1' &= D6(+)D4(+)D2(+)D0
 \end{aligned}$$

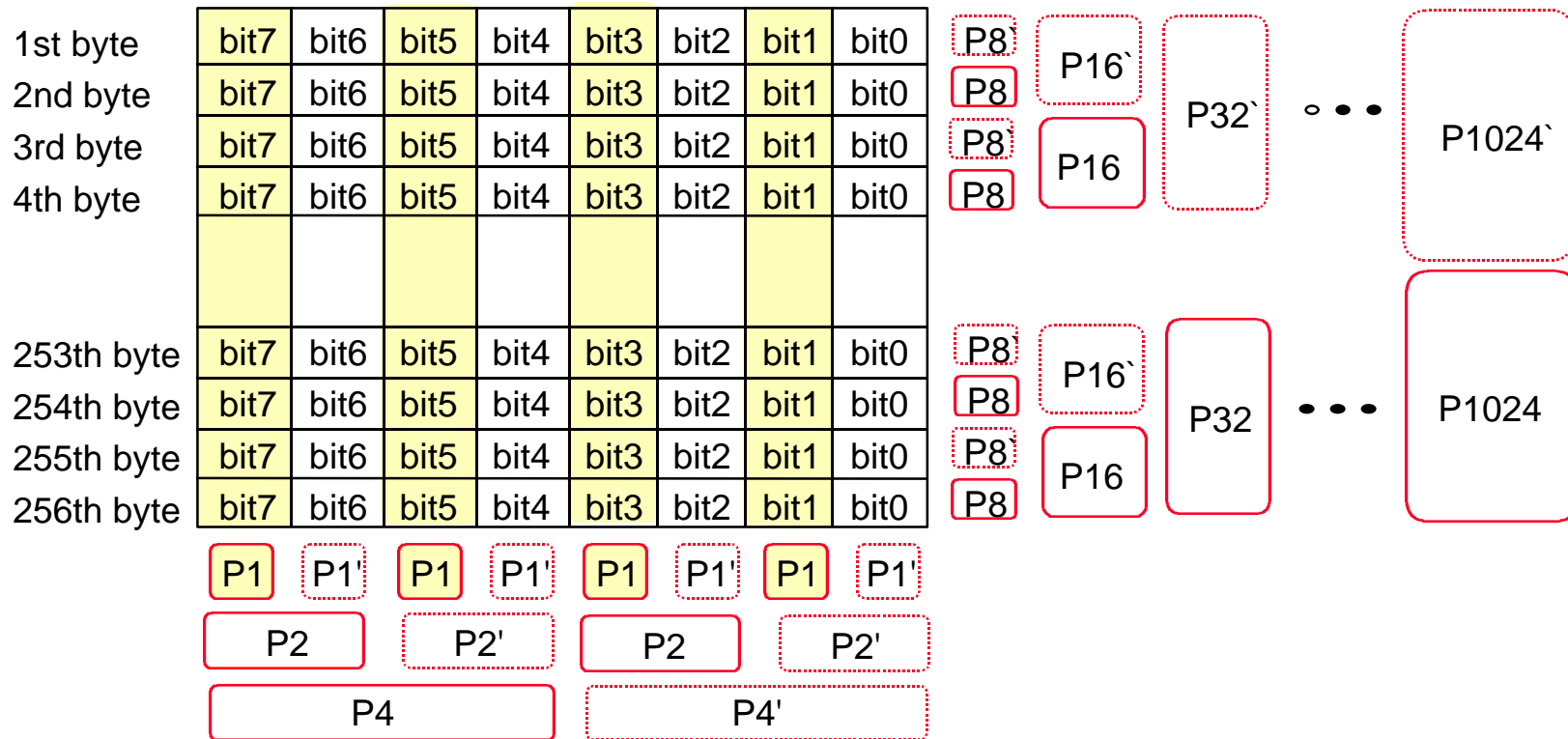
◆ For example (In case of 1 bit fail)

Original data : 1 0 1 0 1 0 1 0	$P4 = 1(+)0(+)1(+)0 = 0$, $P4' = 1(+)0(+)1(+)0 = 0$ $P2 = 1(+)0(+)1(+)0 = 0$, $P2' = 1(+)0(+)1(+)0 = 0$ $P1 = 1(+)1(+)1(+)1 = 0$, $P1' = 0(+)0(+)0(+)0 = 0$
↓	
Changed data : 1 0 1 1 1 0 1 0	$P4 = 1(+)0(+)1(+)\mathbf{1} = \mathbf{1}$, $P4' = 1(+)0(+)1(+)0 = 0$ $P2 = 1(+)0(+)1(+)0 = 0$, $P2' = 1(+)\mathbf{1}(+)1(+)0 = \mathbf{1}$ $P1 = 1(+)1(+)1(+)1 = 0$, $P1' = 0(+)\mathbf{1}(+)0(+)0 = \mathbf{1}$

In here, fail bit locate is column address offset ($P4, P2, P1 = 100 = I/O4$)

ECC Code Generation Methode (1)

◆ Parity Generation (In case of 256 byte input)



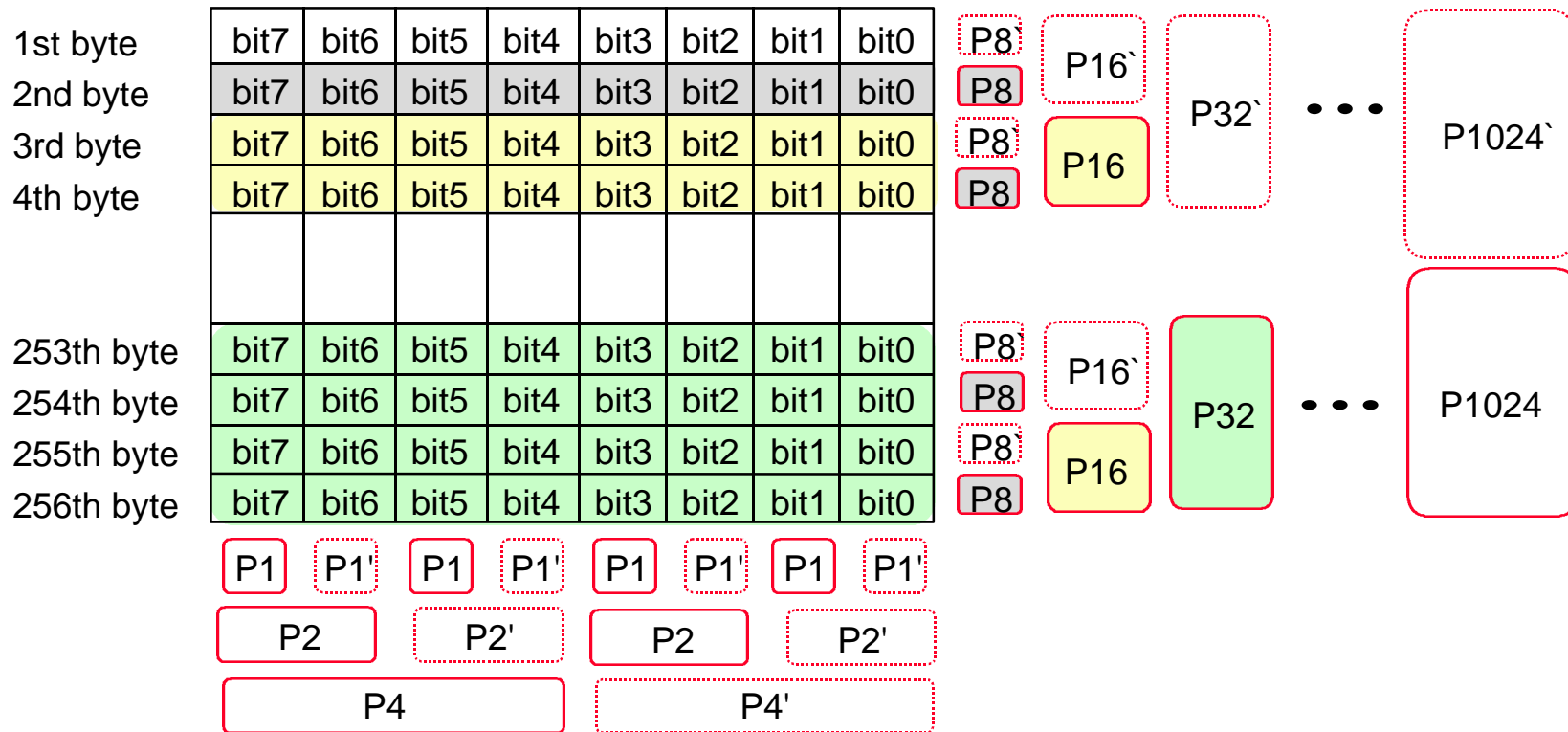
$$P1 = \text{bit7}(\oplus)\text{bit5}(\oplus)\text{bit3}(\oplus)\text{bit1}(\oplus)P1$$

$$P2 = \text{bit7}(\oplus)\text{bit6}(\oplus)\text{bit3}(\oplus)\text{bit2}(\oplus)P2$$

$$P4 = \text{bit7}(\oplus)\text{bit6}(\oplus)\text{bit5}(\oplus)\text{bit4}(\oplus)P4$$

ECC Code Generation Methode (2)

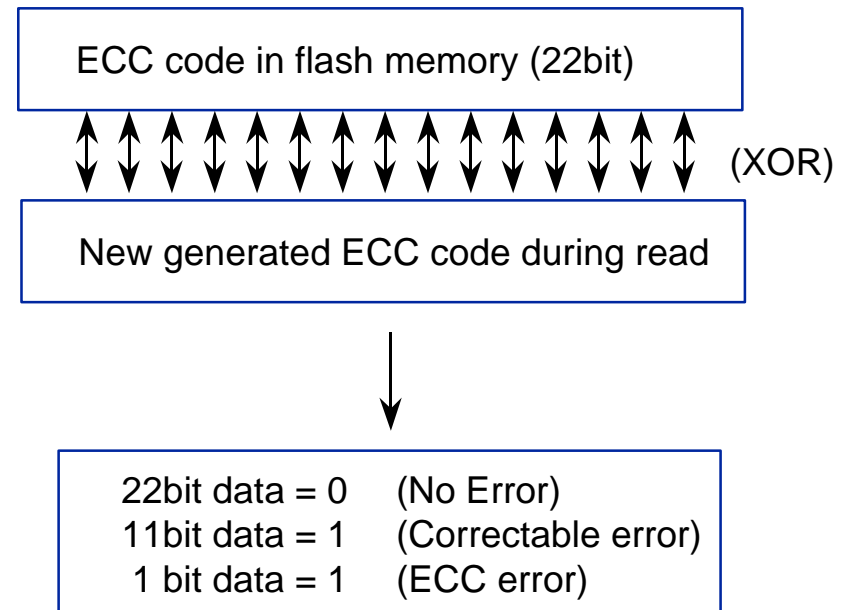
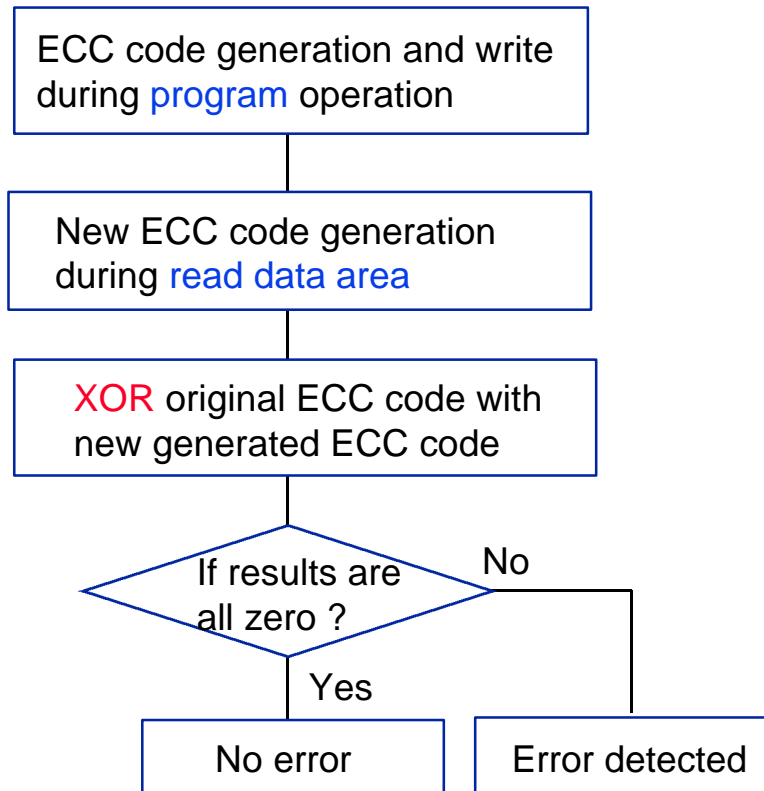
◆ Parity Generation (In case of 256 byte input)



$$P8 = \text{bit7}(+) \text{bit6}(+) \text{bit5}(+) \text{bit4}(+) \text{bit3}(+) \text{bit2}(+) \text{bit1}(+) \text{bit0}(+) P8$$

Error Detection Methode

◆ Error Detecton Sequence



Error Detect Result

◆ No Error

- The result of XOR : all ECC code is `0`

◆ Correctable Error

- The result of XOR : total 11bits are `1`
- When main area have 1 bit error, each parity pair (ex. P8 & P8`) have 1 & 0 or 0 & 1.

◆ ECC Error

- The result of XOR : only 1bit is `1`
- When ECC area have an error, call it ECC error

◆ Uncorrectable Error

- The result of XOR : random data
- When flash have more than 2 bits error, could not correction data.

Error Correction

- ◆ For the Correctable Error, we can correct wrong data.

- ◆ Error Correction Example

 - After execute XOR, we can get final ECC code.

If final ECC code P1024,P512,P256,P8,P4,P2,P1 is 01001100 110.

The fail data : (01001100)th data (76th data)

The fail bit : (110)th bit (I/O6)

If change fail bit data, it will be correct data.

ECC Algorithm Executed Result Example

Original Data : 123456789

ECC code : 01000011 001

Changed Data : 12345**7**789

ECC code : 01000110 001

ECC code : 00000101 000 (5h 0h)

=>Fail bit is 6th byte 1st bit

	P1024	P1024'	P512	P512'	P256	P256'	P128	P128'	P64	P64'	P32	P32'	P16	P16'	P8	P8'	P4	P4'	P2	P2'	P1'	P1
Original ECC	0	0	1	1	0	0	0	0	0	0	0	0	1	1	1	1	0	0	0	0	1	1
New ECC	0	1	1	0	0	1	0	1	0	1	1	0	1	0	0	1	0	1	0	1	1	0
Result of XOR	0	1	0	1	0	1	0	1	0	1	1	0	0	1	1	0	0	1	0	1	1	0

- The result data of XOR , each pair have alternative data that means **correctable error**.
- Because we know fail bit address, can correct fail bit to original data.